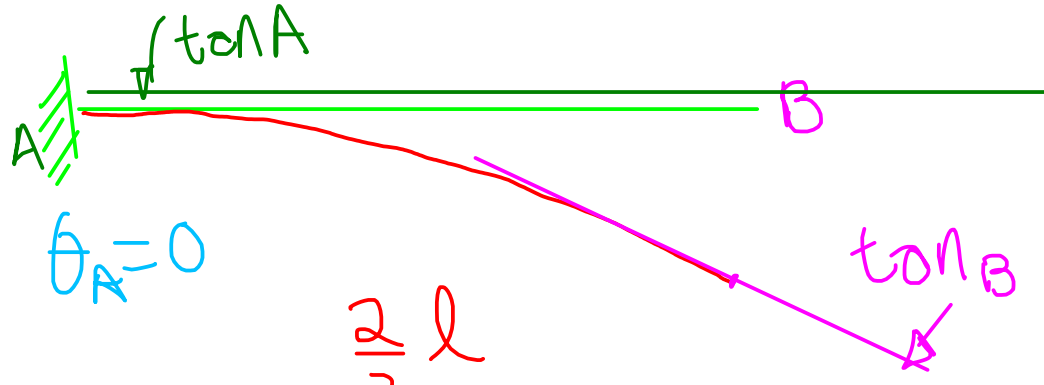


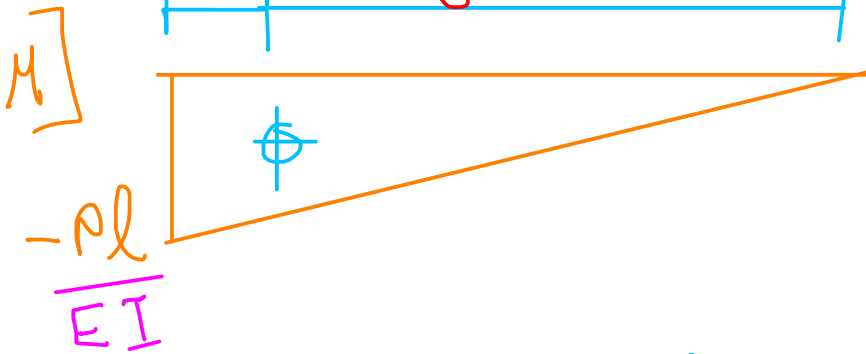
Calcule la pendiente teta.b y la deflexión vb en el extremo de la viga en voladizo. El es constante.

V_B

θ_B



$t_{BA} = V_B$



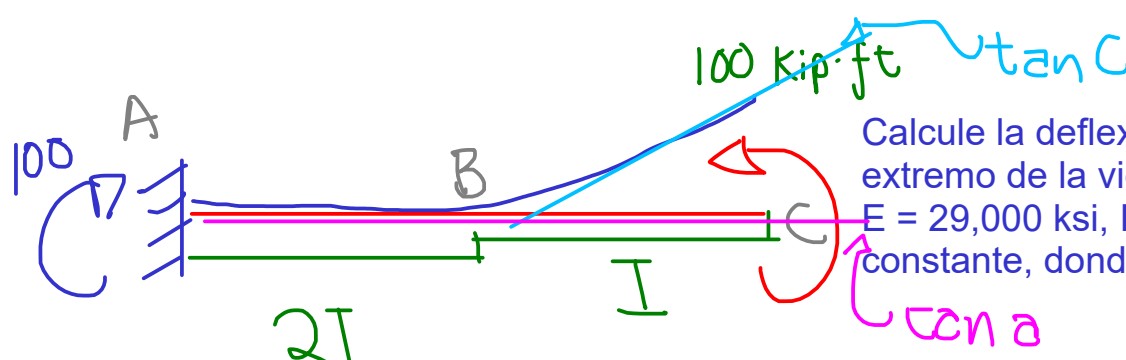
$$\Delta\theta_{AB} = \int_A^B \frac{M}{EI} dx$$

$$\theta_B = \theta_A + \Delta\theta_{AB}$$

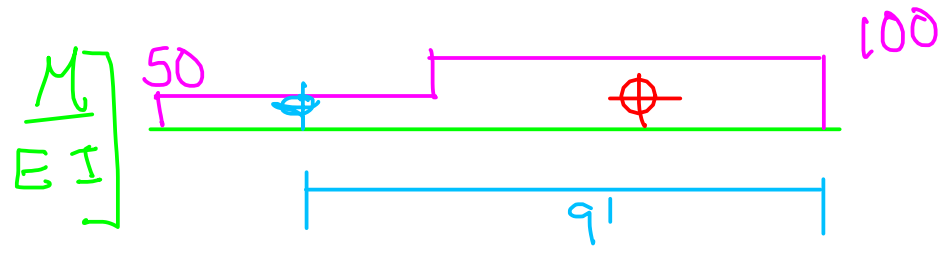
$$\Delta\theta_{AB} = \theta_B = \frac{1}{2} l \left(\frac{-Pl}{EI} \right) = \frac{-Pl^2}{2EI} \leftarrow \text{Rotación en B}$$

$$t_{BA} = \int_A^B \frac{Mx}{EI} dx$$

$$t_{BA} = V_B = \frac{1}{2} (l) \left(\frac{-Pl}{EI} \right) \left(\frac{2}{3} l \right) = -\frac{Pl^3}{3EI}$$



Calcule la deflexión del punto C en el extremo de la viga en voladizo, si $E = 29,000 \text{ ksi}$, $I_{ab} = 2I$; $I_{bc} = I$; $E = \text{constante}$, donde $I = 400 \text{ in}^4$.

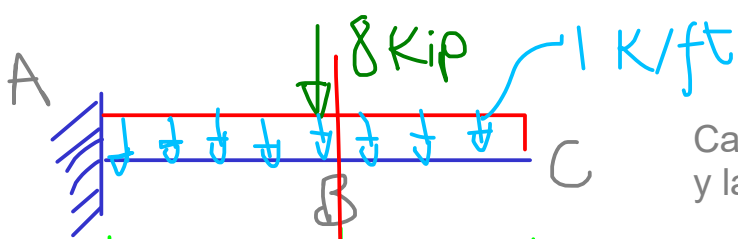


$$V_C = t_{CA} = \frac{50}{EI} (6) (9') + \frac{100}{EI} (6) (3') = \frac{4500}{EI}$$

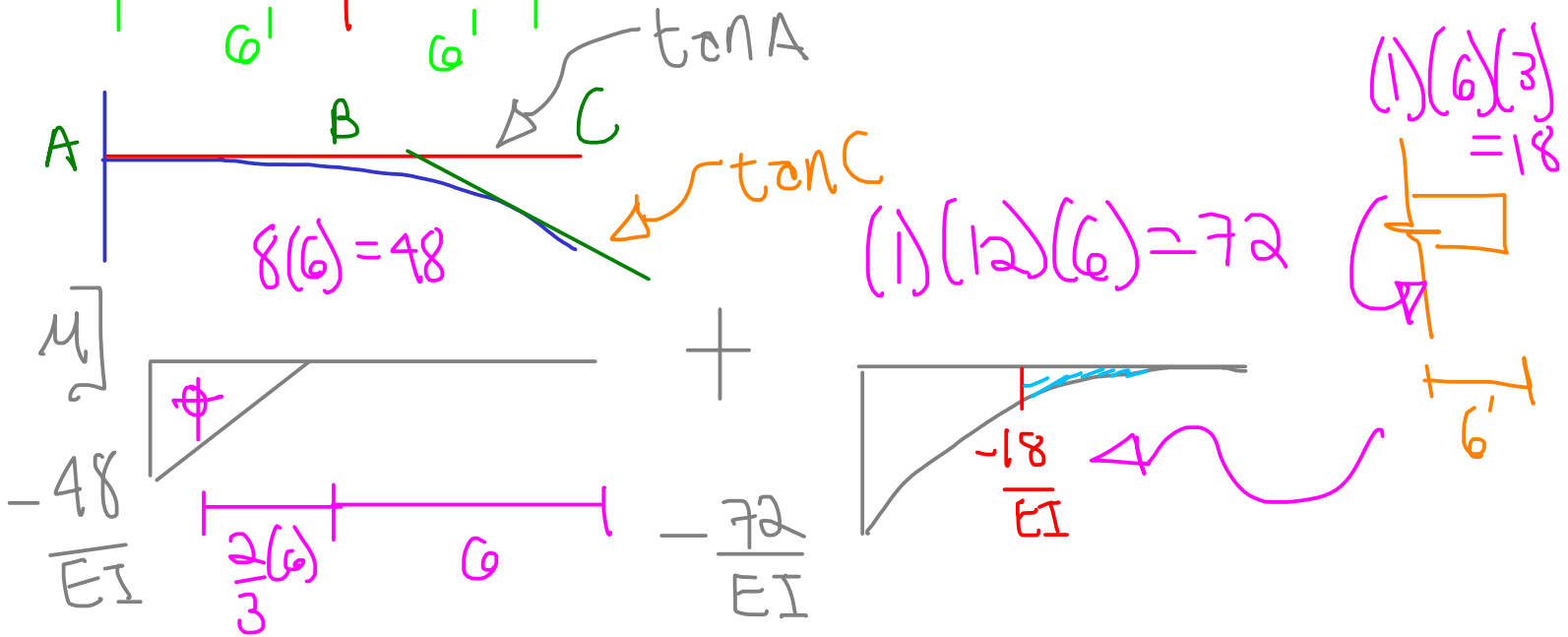
Kip ft · ft · ft

$$1 \text{ ft}^3 \left| \frac{(12 \text{ in})^3}{(1 \text{ ft})} \right| \rightarrow 12^3 = 1728 \text{ in}^3$$

$$V_C = \frac{4500 (1728)}{29000 (400)} = \underline{\underline{0.67 \text{ in}}}$$



Calcule la pendiente de la curva elástica en B y C; y la deflexión en C para la viga en voladizo.



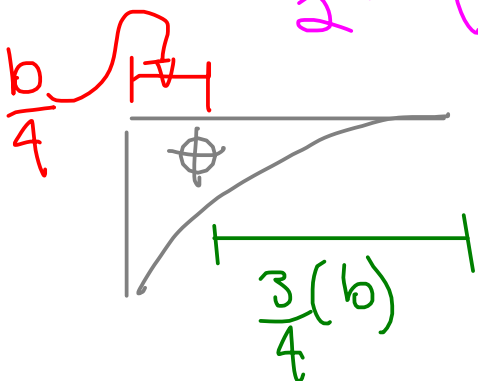
$$\theta_C = \theta_A + \Delta\theta_{AC}$$

$$= 0 + \frac{1}{2}(6)\left(-\frac{48}{EI}\right) + \frac{1}{3}(12)\left(-\frac{72}{EI}\right) = -\frac{432}{EI} \text{ rad}$$

$$\theta_B = \theta_C - \frac{1}{3}(6')\left(-\frac{18}{EI}\right) =$$

$$-\frac{432}{EI} + \frac{1}{3}(6')(18) = \frac{-396}{EI} = \theta_B$$

$$V_C = \frac{1}{2}(6)\left(-\frac{48}{EI}\right)(10') + \frac{1}{3}(12)\left(-\frac{72}{EI}\right)(9')$$



$$b=12 \rightarrow \frac{3}{4}(12) = 9'$$

$$= -\frac{4032}{EI}$$